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 $\overline{0}$ 0⁴ 041 042 043 044 041 042 043 044 parietal areas (CIP and AIP, respectively). These areas encode three-dimensional shape features, and are essential for accurate hand shaping. This model reproduced AIP responses from the Macaque literature using a model of CIP activity as input. We parameterized AIP responses using both superquadric parameters

 and the parameters of an Isomap reduction of the depth map. We found that both the match with AIP data and the performance of the CIP-AIP mapping were better with Isomap parameters. However, it is not yet clear whether such parameters provide a good basis for grasp planning. For example, in contrast with the Isomap, superquadrics support a pose-invariant mapping to some gripper parameters.

 To address this question, we have recently started to extend the model to frontal area F5 (which encodes hand postures [4]) so that its applicability to robotic grasp control can be tested. We plan to build a database of grasp examples in order to train and test this extended model. Building a large database real robot is infeasible with our research infrastructure, instead we will create the database in simulation and validate it by executing randomly sampled grasps. The models trained onto this database will be tested with a real-world robot platform and real objects. We will compare the performance of the neural model to a conventional kernel regression machine, and to state-of-the-art robotics heuristics for grasp planning. We hope to show that a neural model trained on large numbers examples can provide a practical grasp controller, and that its internal signals are consistent with the literature on neural activity in monkey AIP and F5.

 Finally, the main focus of the present paper is on how to further extend the above models to account for how higher-level goals and intentions from prefrontal areas can influence the decision of which affordances to attend to (and therefore which hand-shape to select). The following sections briefly present our approach and a proof-of-concept model. A notable feature of this proof-of-concept is that is expressed entirely in vector operations.

2 Methods

Often, different grips are appropriate for manipulating an object for different purposes. For example, if one's goal is to put a hammer in a toolbox, there are many ways in which the hammer can be grasped. However, if the hammer is to be used to hit nails there is essentially one way. To model such influences we are forced to consider a much larger network that includes the prefrontal cortex.

 The prefrontal cortex is less well understood than the visual cortex, so for these areas the data-driven approach that we previously adopted to model CIP, AIP, and F5 may be less practical. We are instead pursuing a top-down approach based on two key methods. The first is the Neural Engineering Framework [5], which provides a way to map systematically between high-level function and neural activity. The second is Holographic Reduced Representations [6], which are used in cognitive modelling. Recently, these two methods were used together to develop a spiking neural model of the brain with complex cognitive abilities. The methods are described briefly below. For robotics applications, there are various ways to run large models of this type in real time, e.g. surrogate population models on FPGAs [7].

 Neural Engineering Framework An NEF model is specified in terms of vector variables that are taken to be encoded by the activity of neuron populations, maps between these vectors, and physiological neuron properties (e.g. time constants). The encoding of a vector by a neural activity is typically modelled as

$$
r_i = G\left[\mathbf{e}_i^T \mathbf{x} + b_i\right],\tag{1}
$$

 where r_i is the spike rate of the i^{th} neuron, **x** is the encoded vector, **e** is the direction in the encoded space in which the neuron spikes fastest (the "preferred direction"), b_i is a static bias, and G is a physiological nonlinearity. The encoded vector x can be approximately recovered, or "decoded" from the spike rates as

$$
\hat{\mathbf{x}} = \sum_{i} \mathbf{d}_{i} r_{i},\tag{2}
$$

 where $\mathbf{d_i}$ is called the neuron's "decoding vector", and is chosen to minimize $\mathbf{x}-\hat{\mathbf{x}}$. Furthermore, functions $\hat{\mathbf{f}}(\mathbf{x})$ of the vector can also be decoded by choosing different decoding weights that minimize $f(x) - \hat{f}(x)$. This is the basis of NEF models of neural-network computation. Specifically, if one population encodes x and a second population encodes $y = \hat{f}(x)$, the synaptic weights that produce this mapping can be determined by substituting $\hat{\mathbf{f}}(\mathbf{x})$ into (1). The result is that the synaptic weight between the i^{th} presynaptic and j^{th} postsyaptic neuron is $w_{ij} = \mathbf{e}_j^T \mathbf{d}_i$. Thus, a model can be developed systematically, beginning with a high-level description of encoded variables and how they are transformed.

 Holographic Reduced Representations HRRs represent concepts as vectors. They support operations that are useful for cognitive models including binding (associating concepts, e.g. associating "dog" with the role of "actor" in the sentence "dog bites man"); unbinding (e.g. extracting the fact that the "actor" is "dog"), and bundling (combining multiple bound and/or unbound concepts into a package). HRRs use circular convolution for binding and unbinding, and vector addition for bundling. HRR operations are lossy, e.g. "actor" bound to "dog" has the same vector dimension as "actor" or "dog". Eliasmith (2013) showed that HRRs can be encoded and manipulated using NEF neural models, and that HRRs of a few hundred dimensions can store tens of thousands of concepts.

2.1 Proof-of-Concept Cognitive Model

 As a first step in exploring the application of the NEF and HRRs to grasping, we developed a simplified model that uses basic drives and knowledge of the environment to choose a goal, and to influence hand posture in a manner consistent with that goal. To simplify the prototype we used abstract HRR vectors and sigmoidal units, given that the the NEF provides a systematic method to develop a spiking neural model from a vector model (this does not work with all vector models, but experience with the NEF suggests that the present model is a good candidate).

Fig. 1. Proof-of-concept model and its relationship to our other work. Dashed boxes indicate HRR populations and a winner-take-all "actions" population. Also shown are past work (black boxes) and other current work (solid gray box; see Introduction).

 Grasping decisions were modelled in the space of the first two principal components of gripper parameters. A grid of sigmoidal units corresponded to different postures in this space. Decisions were made using a dffusion-to-bound mechanism [8], wherein each unit integrates its inputs until one unit's activity crosses a threshold, at which point the winning unit (corresponding to a single posture) inhibits all others. Each input to this network corresponded to the influence of a different brain area on the posture decision, and consisted of a drive pattern across the posture grid. Input from a ten-dimensional object-shape representation was modelled as decoded functions $[f_{ij}(s)]$, where s is the shape parameters and i and j are grid indices. Desired actions were represented in a 200-dimensional HRR. Different actions were nearly orthogonal in this space, so we used a simple linear map, $[\sum_k \alpha_{ijk} \mathbf{a_k}^T \mathbf{a}]$, where **a** are action vectors and k is an index over possible actions.

 We modelled a scenario in which an agent wants a drink of water given two potential sources: a bottle and a faucet. The agent must decide which source to use and the appropriate hand posture for grasping it. While the scope of this example is somewhat broader than grasp control, we wanted to verify that the basic approach was suitable for such examples. The input to the model included a basic "thirst" drive and a list of the objects in the environment (in a more complete system we take it that these would be detected visually and stored in working memory). We used HRR binding to associate water with both the bottle and the faucet. Furthermore, we used several similar vectors to represent different kinds of water, including cold spring water, warm spring water, and cold tap water. We used linear maps between HRRs to cause a "thirst" concept in the "drives" HRR to probe the "environment" HRR for cold spring water, resulting in selection of the "bottle" concept. Further linear maps between HRRs led to an "action" HRR encoding "grasp" while the "attended object" HRR encoded "bottle". A final linear map from the binding of these two concepts influenced

 the posture network to choose a posture appropriate for grasping the bottle in order to pour from it.

3 Results

Fig. 2. Activation on a grid over the first two principal components of hand posture, during a decision between postures.

Figure 2 shows a snapshot of activity in the hand-posture network, prior to a decision. The insets show two postures of the Barrett hand that correspond to two potential grips. The one on the left is better suited for lifting the bottle in order to pour from it, and is eventually selected. A different hand posture might be selected if the goal were different (e.g. to put the bottle in a refrigerator) or if the object itself was different.

 Simulations of this proof-of-concept model demonstrated promising qualitative properties. First, the model incorporated multiple influences into the selection of a single hand posture. We simulated two specific influences: compatibility with object shape (from AIP); and compatibility with a specified action (from frontal areas). These influences could be arbitrarily broad, narrow, multimodal, etc. Second, the model maps from basic drives to a specific action plan given the objects in the environment. This mapping is oversimplified, but it verifies that such a mapping can be implemented using the NEF and HRRs. Third, the model could choose between multiple routes to the same goal. When we hard-coded the belief that the water bottle was cold, and searched for something similar to cold spring water, attention focused on the bottle. Alternatively, when we hard-coded the belief that the water bottle was warm, attention focused on the faucet instead. We expect that the model could be expanded to include updates based on sensory information.

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4 Discussion

 Two motivations for this research are: curiosity about the primate visuo-motor systems, and practical interest in robot controllers based on the same principles. While similar in spirit to the models studied in robotics [9–15], our work aims to implement affordances, a popular means of formalizing a robotic agent's interaction with the world [16], via a computational model that is compatible with the mechanisms that govern grasping in the primate brain (see [17] for a model with similar goals).

 HRRs are a key component of the Spaun model, which can perform a wide variety of sophisticated tasks such as completing patterns from examples. We take the success of this approach in Spaun to suggest that HRRs provide a practical way to integrate a wide range of cognitive influences (such as verbal instructions) into models of neural visuo-motor systems. Our proof-of-concept model supports this view.

References

